

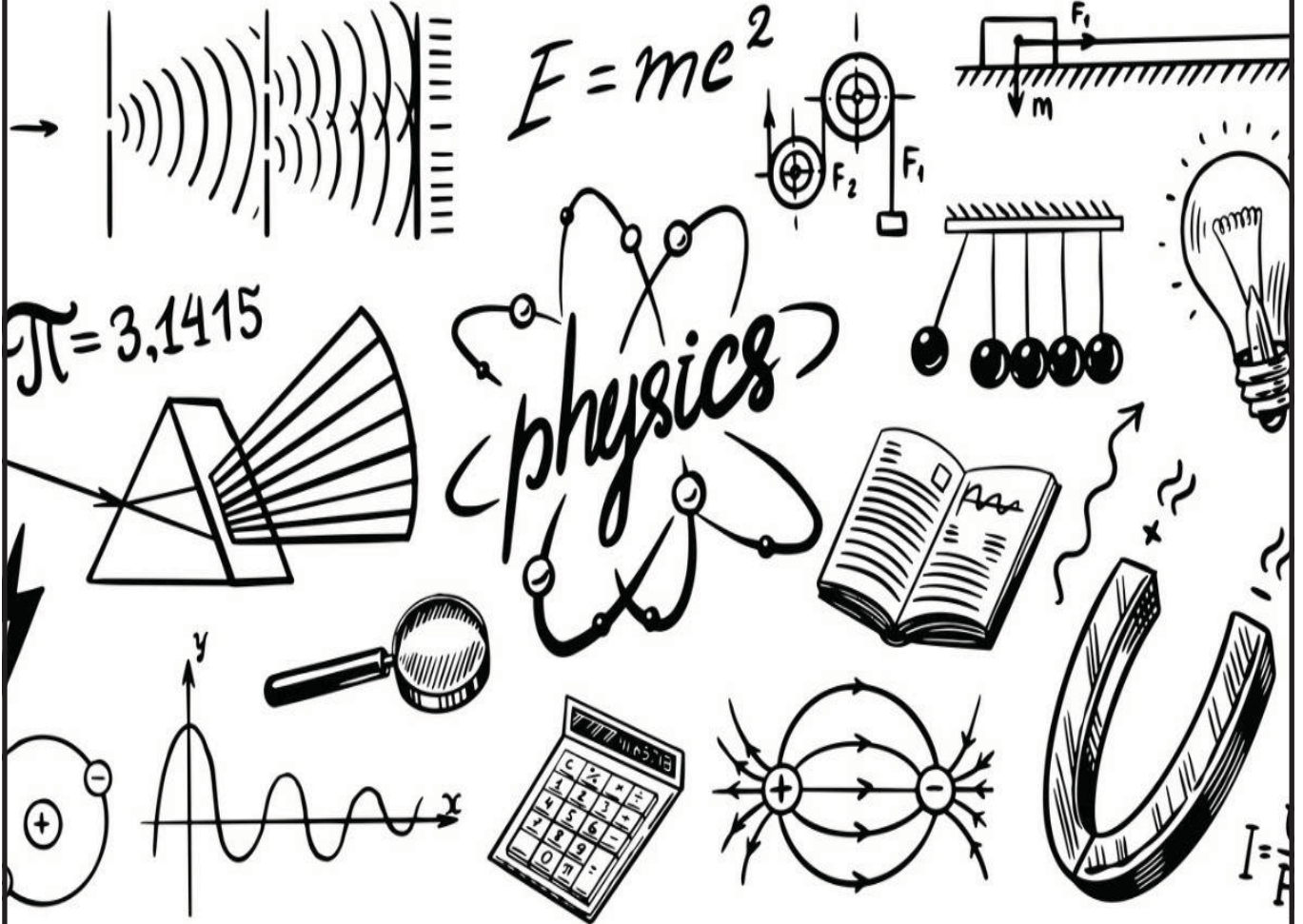


தேசிய வெளிக்கள நிலையம் தொண்டைமானாறு  
முதலாம் தவணைப் பரீட்சை - 2023  
National Field Work Centre, Thondaimanaru.  
1<sup>st</sup> Term Examination - 2023

Grade - 12 (2024)

physics

Marking Scheme



பகுதி I

01) 4	06) 5	11) 1	16) 3	21) 4
02) 3	07) 4	12) 3	17) 1	22) 1
03) 2	08) 4	13) 1	18) 5	23) 5
04) 5	09) 2	14) 4	19) 2	24) 3
05) 2	10) 1	15) 5	20) 5	25) 5

PART - II A

01/

a) To maintain vertical equilibrium in a horizontal plane — (1)

b) Located in the vertex of an equilateral triangle — (2)

c/

1/ By adjusting the screw just to touch the image — (2)  
formed in the glass block



1, adjust the screw to touch the curved surface — (2)

iii/ 1/ 0.03 mm — (1)

2.70 mm — (2)

2/ 3.00 mm — (1)

iv/

1/ Vernier calliper — (1)

internal jaw — (1)

2/ Press the spherometer on a white sheet and measure the distance between the legs using the internal jaws — (2)

3/ 
$$R = \frac{5 \times 10}{8 \times 3} + \frac{3}{2} = 50 + 1.5 = 51.5 \text{ mm}$$
 — (1)

= 51.5 mm — (1)

d/ measuring the radius of large sphere — (2)

02/

9/

- 1/ A Vertical <sup>fine</sup> adjustment knob to adjust vertically  
B Focusing knob to focus the object on the cross wire.  
C levelling screw to adjust the plane horizontally  
DE horizontal fine adjustment knob to adjust horizontally  
G stage to keep the objects to be observed — (5)


b/ adjust the eyepiece until the cross wire is clearly seen — (2)

c/ screw F is not tightly fixed — (2)

d/ 0.01 mm — (1)

" 38.65 mm — (2)

e/ Yes — (1)  
to obtain circular image of the end through microscope — (1)

f/  — (2)

g/ No — (1)  
here only the diameter of the end is measured — (1)

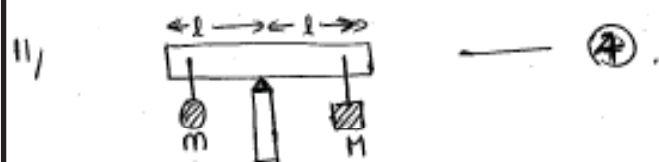
h/ measuring the diameter of the soap bubble,  
measuring the diameter of the thin rubber tube — (2)

20

03,

a) to determine the centre of gravity point / to avoid the mass of the metre ruler in the measurement — (2)

b) i) 50g — (1)  
length measurements are approximately equal — (2)

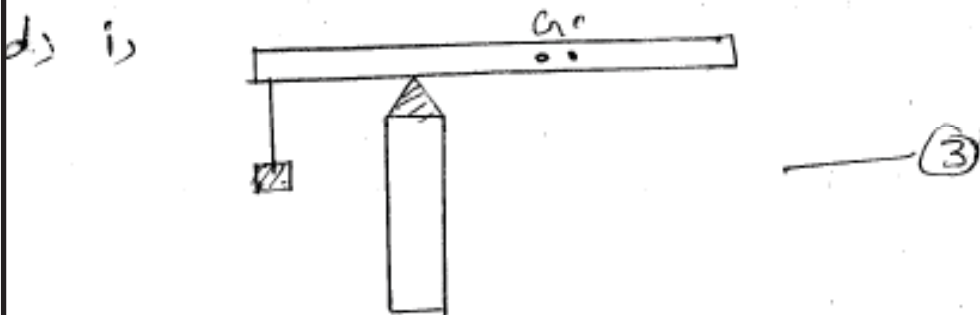


iii)  $mgL = MgL$  — (1)  
 $ml = ML \rightarrow m = \frac{ML}{l}$  — (1)

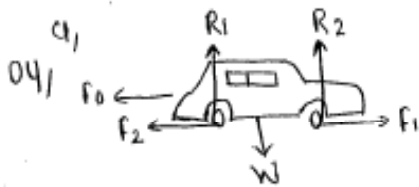
iv) Fractional error of length measurement / To reduce the percentage error — (2)

v) to avoid other forces contributing in the moment of metre ruler — (2)

~~$m_0 g = 35 \times 50 g$~~  — (2)  
 ~~$m_0 = 175 g$~~  — (2)



ii)  $12 \times m_0 g = 35 \times 50 g$  — (1)  
 $m_0 = 145.8 g$  — (1)



If all are correct — ③  
 If any 5 are correct — ②  
 If any 4 are correct — ①

$R_1, R_2$  - Reaction given by the floor  
 $F_1$  - by rotating the engine wheel  
 $F_2$  - by rolling the wheel  
 $F_0$  - resistive force given by air / Drag force  
 $W$  - gravitational force.

All — ③  
 Any 4 — ②  
 Any 3 — ①

b<sub>1</sub> i, 160 N — ①

ii,  $P = F \times v$   
 $= 160 \times 20$  — ②  
 $= 3200 \text{ W}$

iii, i,  $3.2 + 1.8 = 5 \text{ kW}$  — ①

2, A, energy used to rotate the wheel  $= \frac{20}{100} \times 4 \times 10^7$   
 $= 8 \times 10^6 \text{ J}$  — ①

Power used to rotate the wheel in  $20 \text{ ms}^{-1} = 5 \times 10^3 \text{ J/s}$

∴ time duration for 1 l  $= \frac{8 \times 10^6}{5 \times 10^3} = \frac{8000}{5}$

distance travelled  $= 1600 \text{ sec}$  — ①

in 1600 sec  $= 1600 \times 20$

$= 32000 \text{ m}$

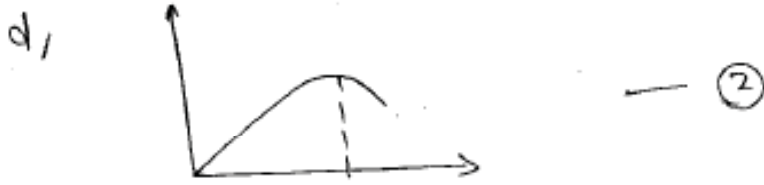
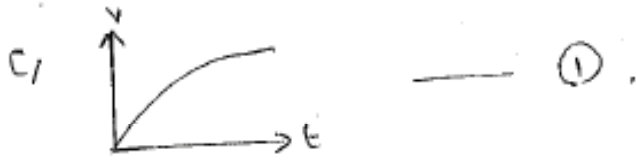
fuel efficiency  $= 32 \text{ km/l}$  — ①

B<sub>1</sub> Increase the frictional force of front wheel — ②  
 decreasing the air resistive force / Reduce the Area

iv,  $F = kAPv^2$

$160 = k \times A \times 2 \times 1.2 \times 20^2$  — ①

$k = 0.17$  — ①



PART-II B

osy Acceleration - gradient of the graph. — ①

Displacement - area of the graph. — ①

a, (i) Rate of change of velocity (a) =  $\frac{0-40}{4} = -\frac{40}{4} = -10 \text{ m s}^{-2}$ . — ①

(ii)  $a = \frac{-v-0}{3}$

$-10 = -v/3$

$v = 30 \text{ m s}^{-1}$  — ①

(iii) At 4th sec

velocity of car A =  $\overrightarrow{40 \text{ m s}^{-1}}$  ( $V_{AE}$ )

velocity of car B =  $\overleftarrow{30 \text{ m s}^{-1}}$  ( $V_{BE}$ )

$V_{BA} = V_{B,E} + V_{E,A}$   
 $= \overleftarrow{30} + \overleftarrow{40}$  — ① + ①  
 $= \overleftarrow{70 \text{ m s}^{-1}}$  — ①

(iv) Till 12 sec

Area of graph of car A =  $\frac{1}{2} \times (12+8) \times 40$   
 $= 400 \text{ m (Right)}$  — ①

Graph area of car B =  $\frac{1}{2} \times (6+12) \times 30$   
 $= 270 \text{ m (Left)}$  — ①

Total distance between car A and car B =  $400 \text{ m} + 270 \text{ m}$   
 $= 670 \text{ m}$ . — ①

(v) Magnitude of deceleration of car B

$\frac{30-0}{12-6} = \frac{25-0}{T-12}$  — ①

$\frac{30}{6} = \frac{25}{T-12}$

$5 = \frac{25}{T-12}$  — ①

$T-12 = 5$   
 $T = 17 \text{ sec}$ . — ①

(vi) Distance travelled at 12 sec = 400m

$$\therefore 400\text{m} = \frac{1}{2} \times [(t-12) + (t-15)] \times 30 \quad \text{--- (1)}$$

$$2t - 27 = \frac{400 \times 2}{30} = \frac{80}{3}$$

$$2t = \frac{80}{3} + 27$$

$$2t = \frac{80+81}{3}$$

$$t = 161/6$$

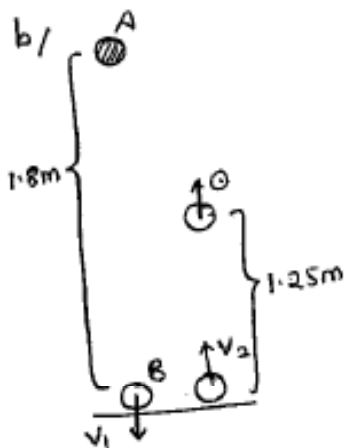
$$t = 26.83\text{sec} \quad \text{--- (1)}$$

Car B.

$$\text{Distance travelled} = -270 + \frac{1}{2} \times (14.83 + 9.83) \times 25 \quad \text{--- (1)}$$

$$= -270 + 308.25$$

$$= 38.25\text{m (Right)} \quad \text{--- (1)}$$



(i) Applying  $\downarrow$   $v^2 = u^2 + 2as$

$$v_1^2 = 0 + 2 \times 10 \times 1.8 \quad \text{--- (1)}$$

$$v_1^2 = 36$$

$$v_1 = 6\text{m s}^{-1} \quad \text{--- (1)}$$

(ii) Applying  $\uparrow$   $v^2 = u^2 + 2as$

$$0 = v_2^2 - 2 \times 10 \times 1.25 \quad \text{--- (1)}$$

$$v_2^2 = 25$$

$$v_2 = 5\text{m s}^{-1} \quad \text{--- (1)}$$

(iii)  $\uparrow s = ut + \frac{1}{2}at^2$

$$0 = 5xt - \frac{1}{2} \times 10t^2 \quad \text{--- (1)}$$

$$5t = 5t^2$$

$$t = 1\text{sec} \quad \text{--- (1)}$$

Time taken for A  $\rightarrow$  B

Applying  $\downarrow$   $v_1 = u + at$

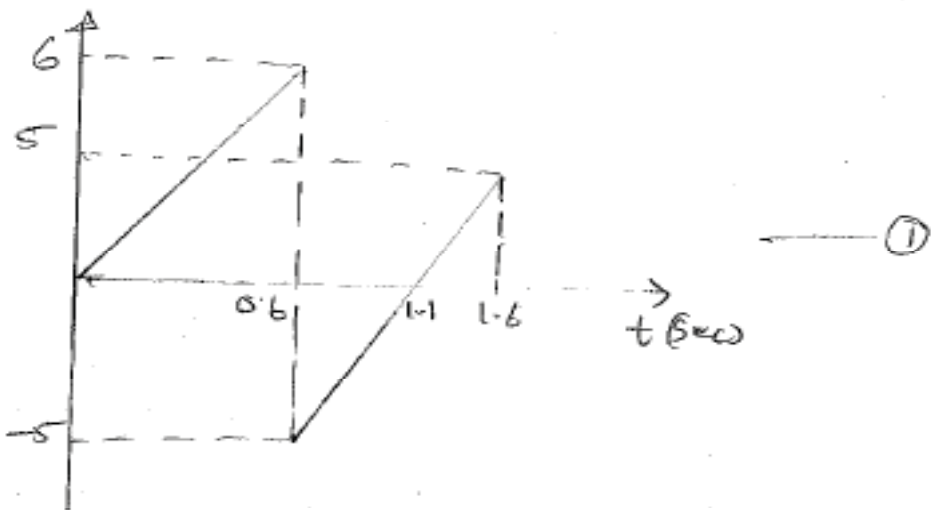
$$6 = 10t \quad \text{--- (1)}$$

$$t = 0.6\text{sec} \quad \text{--- (1)}$$

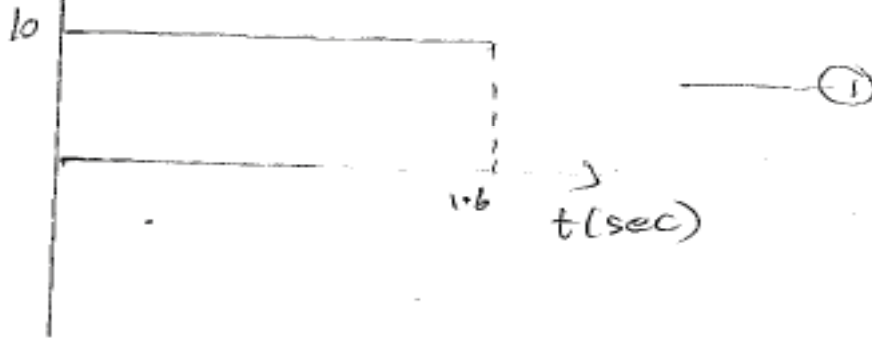
Total time taken for 2nd collision = 1sec + 0.6sec

$$= 1.6\text{sec} \quad \text{--- (1)}$$

14)  $v \text{ (ms}^{-1}\text{)}$



15)  $a \text{ (ms}^{-2}\text{)}$



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06/a/

i) If two forces acting on a point can be represented in magnitude and direction by two adjacent sides of a parallelogram, then the resultant of the two forces will be represented in magnitude and direction by the diagonal of the parallelogram passing through that angular point. — (2)

(ii) 1) The net external force on the system must be zero. — (1)

2) The net torque on the system must be zero. — (1)

(iii) Stable



Unstable

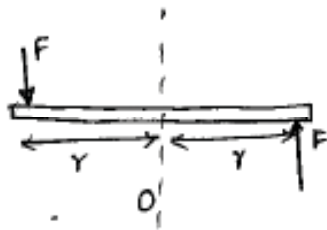


Neutral



— (3)

b) (i)



Couple of forces =  $F \times d$  — (1)

Net moment about the axis O is

$$= F \times r + F \times r \text{ (anticlockwise)} \text{ — (1)}$$

$$= 2Fr$$

$$= F \times 2r \quad ; \quad d = 2r$$

$$= F \times d$$

$\therefore$  Net moment = couple of forces.

$$(ii) \quad R^2 = P^2 + Q^2 + 2PQ \cos \theta \text{ — (2)}$$

$$(iii) \quad R = R_{\max} \text{ when } \theta = 0 \quad ; \quad \cos \theta = 1 \text{ — (1)}$$

$$\therefore R_{\max}^2 = P^2 + Q^2 + 2PQ$$

$$R_{\max}^2 = (P+Q)^2$$

$$R_{\max} = P+Q \text{ — (1)}$$

$$R = R_{\min} \text{ when } \theta = 180 \quad ; \quad \cos \theta = -1 \text{ — (1)}$$

$$\therefore R_{\min}^2 = P^2 + Q^2 - 2PQ$$

$$R_{\min}^2 = (P-Q)^2$$

$$R_{\min} = P-Q \text{ — (1)}$$

(iv) If  $\theta = 90^\circ$  :  $\cos 90 = 0$

$$R^2 = P^2 + Q^2 + 2PQ \times 0$$

$$R^2 = P^2 + Q^2$$

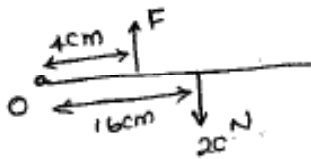
$$R = \sqrt{P^2 + Q^2} \quad \text{--- (1)}$$

(v)



$$S = \sqrt{P^2 + Q^2 + 2PQ \cos \theta} \quad \text{--- (2)}$$

C/ (i)



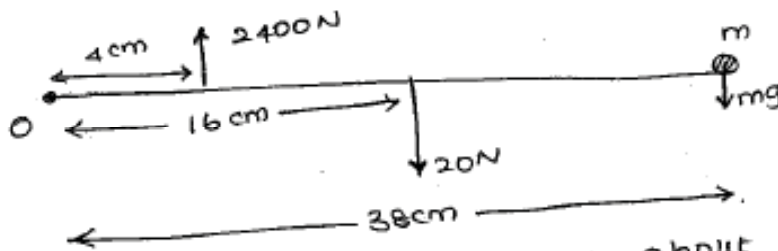
for equilibrium  
net moment about the axis O is zero.

$$\curvearrowright F \times 4 \times 10^{-2} - 20 \times 16 \times 10^{-2} = 0 \quad \text{--- (2)}$$

$$F \times 4 = 20 \times 16$$

$$F = 80 \text{ N} \quad \text{--- (1)}$$

(ii)



For equilibrium Net moment about the axis O is zero.

$$\curvearrowright 2400 \times 4 \times 10^{-2} = 20 \times 16 \times 10^{-2} + mg \times 38 \times 10^{-2} \quad \text{--- (3)}$$

$$9600 - 320 = mg \times 38$$

$$mg = 9280 / 38$$

$$m = 244.2 / 10 = 24.4 \text{ kg} \quad \text{--- (1)}$$

$$(iii) F \sin 60 \times 4 = 20 \times 16 \sin 60 + 100 \times \sin 60 \times 38 \quad \text{--- (3)}$$

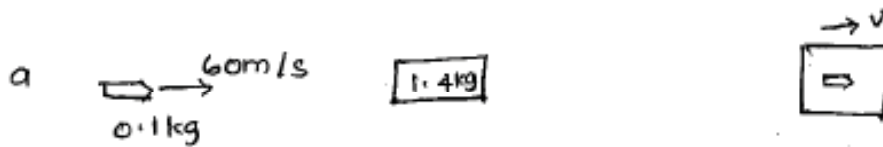
$$F \times 2 = 320 + 1900$$

$$F = \frac{2060}{2}$$

$$= 1030 \text{ N} \quad \text{--- (1)}$$

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07/ Conservation of momentum states that the total momentum of an isolated system remains the same in the absence of an external force. — (2)



(i) using conservation of momentum.

Initial momentum = final momentum.

$$60 \times 0.1 + 0 = 1.5 \times v \quad \text{--- (1)}$$

$$v = \frac{6}{1.5} = 4 \text{ ms}^{-1} \quad \text{--- (1)}$$

(ii) Initial Energy  $E_1 = \frac{1}{2} \times 0.1 \times 60^2 = \frac{60 \times 60 \times 0.1}{2} \quad \text{--- (1)}$

$$= 180 \text{ J} \quad \text{--- (1)}$$

Final Energy  $E_2 = \frac{1}{2} \times 1.5 \times 4^2 = 12 \text{ J} \quad \text{--- (1)}$

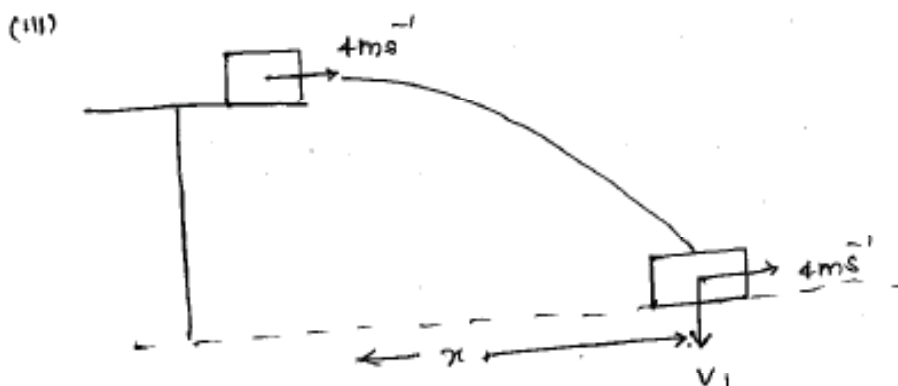
Percentage of energy loss =  $\frac{\text{loss of energy}}{\text{initial energy}} \times 100\% \quad \text{--- (2)}$

$$= \frac{180 - 12}{180} \times 100\% \quad \text{--- (1)}$$

$$= \frac{168}{180} \times 100\%$$

$$= 93.3\% \quad \text{--- (1)}$$

No, Energy is lost in other forms such as sound, heat. — (1)



For Block

Applying  $\downarrow s = ut + \frac{1}{2}at^2$

$$0.8 = 0 + \frac{1}{2} \times 10 \times t^2 \quad \text{--- (1)}$$

$$t^2 = 0.16$$

$$t = 0.4 \text{ sec.} \quad \text{--- (1)}$$

Applying  $\rightarrow s = ut + \frac{1}{2}at^2$

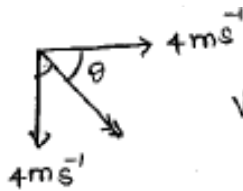
$$x = 4 \times \frac{4}{10} + 0 \quad \text{--- (1)}$$

$$= 1.6 \text{ m.} \quad \text{--- (1)}$$

iv/ Applying  $\downarrow v = u + at$

$$v_1 = 0 + 10 \times 0.4$$

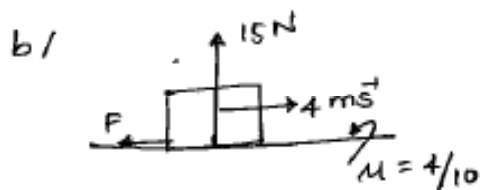
$$v_1 = 4 \text{ ms}^{-1} \quad \text{--- (1)}$$



$$v_1 = \sqrt{4^2 + 4^2} = \sqrt{32} = 4\sqrt{2} \text{ ms}^{-1} = 6.5 \text{ ms}^{-1} \quad \text{--- (1)}$$

$$\tan \theta = \frac{4}{4} = 1$$

$$\theta = 45^\circ \quad \text{--- (1)}$$



(i)  $F = \mu R = \frac{4}{10} \times 15 = 6 \text{ N} \quad \text{--- (1)}$

(ii) loss of K.E = Friction force  $\times$  distance

$$= 6 \times 1.5 \quad \text{--- (1)}$$

$$= 9 \text{ J} \quad \text{--- (1)}$$

(iii) Assume the final velocity is  $v$ .

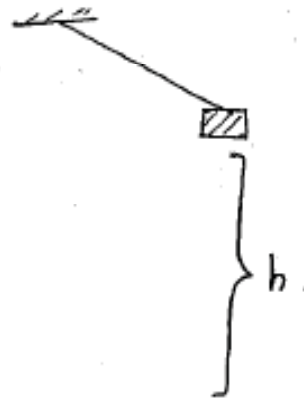
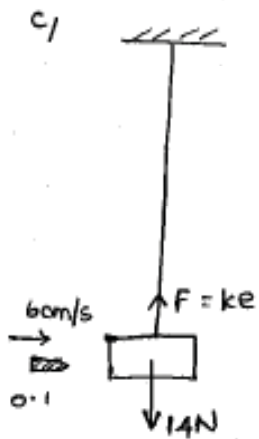
Final K.E = Initial K.E - loss of K.E

$$\frac{1}{2}mv^2 = \frac{1}{2}mu^2 - 9 \quad \text{--- (1)}$$

$$\frac{1}{2} \times 1.5 \times v^2 = \frac{1}{2} \times 1.5 \times 4^2 - 9$$

$$v^2 = \frac{3 \times 2}{1.5} = 4$$

$$v = 2 \text{ ms}^{-1} \quad \text{--- (1)}$$



(i) For equilibrium — ①

$$14 = ke$$

$$14 = k \times \frac{2}{10}$$

$$k = 70 \text{ Nm}^{-1} \text{ — ①}$$

(ii)  $v = 4 \text{ m s}^{-1}$  — ①  
(from a(i))

(iii) Using conservation of Energy,

Initial Energy = Final Energy.

$$\frac{1}{2} \times 1.5 \times 4^2 + \frac{1}{2} \times 70 \times \left(\frac{2}{10}\right)^2 = 1.5 \times 10 \times h + \frac{1}{2} \times 70 \times \left(\frac{1}{10}\right)^2 \text{ — ①}$$

$$12 + 1.4 = 15h + 0.35$$

$$15h = 13.05$$

$$h = 0.87 \text{ m. — ①}$$

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